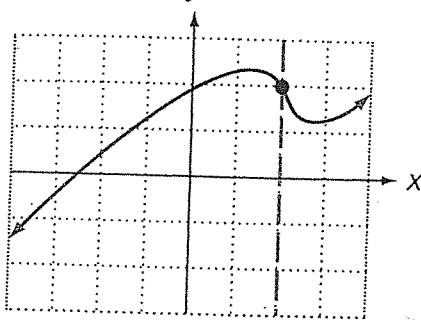
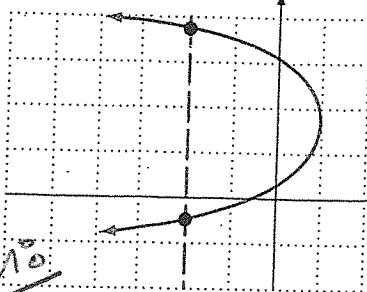


GRAPH A



GRAPH B

Function:

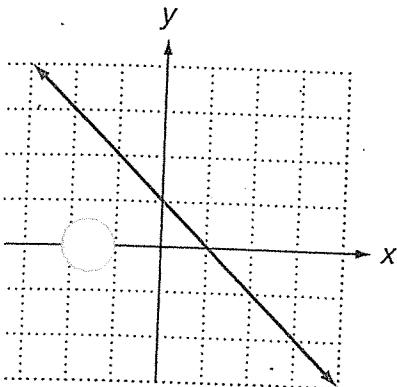
- any vertical line that intersects the graph, will intersect the graph in exactly 1 point.  
1 y-value for ~~each~~ x-value.

Not function

- vertical line intersects same x-coordinate with ~~more than~~ y-coordnt more than 1

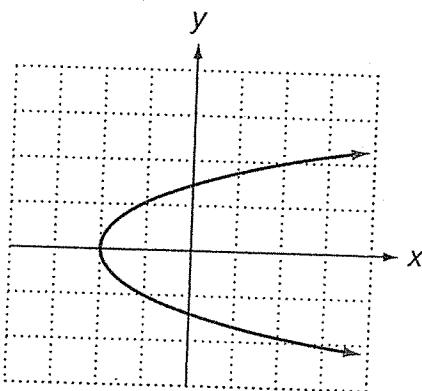
**EXAMPLE 1**

Which of the following are graphs of functions?



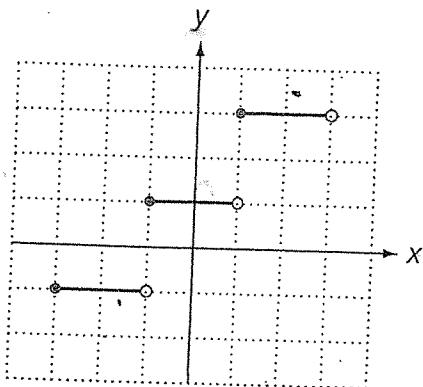
function.

vertical line crosses the graph more than once.



Not a function.

A vertical line crosses the graph more than once.

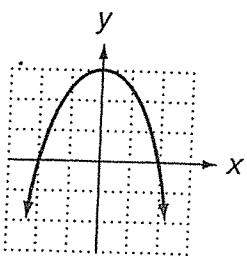


A function.

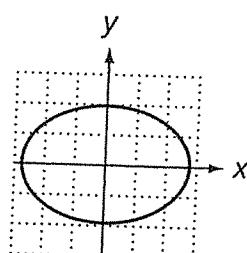
No vertical line crosses the graph more than once.

**Try This**

Which of the following are graphs of functions?

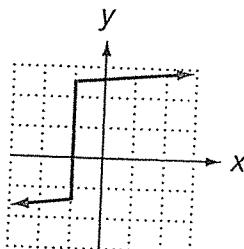


b.



Not function

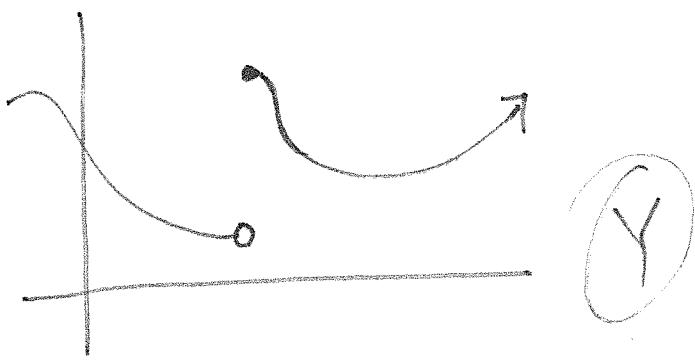
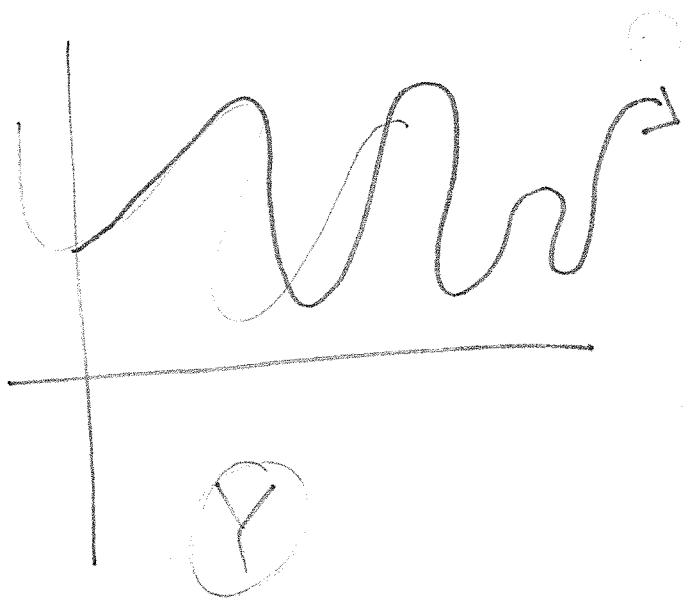
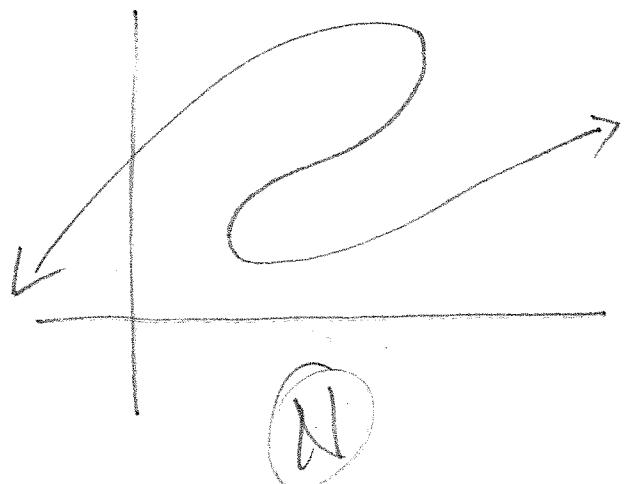
c.



Not a function

Function  
 $x^2$ draw on board

Draw on board

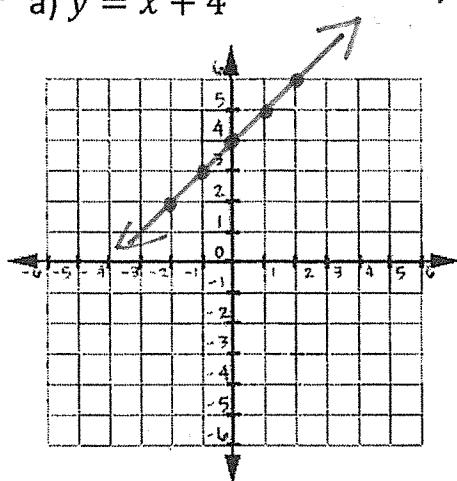


# Key

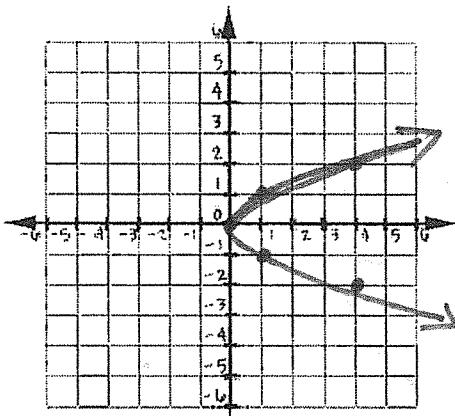
## Notes II (Functions)

1) Is the relationship defined by each equation a function?

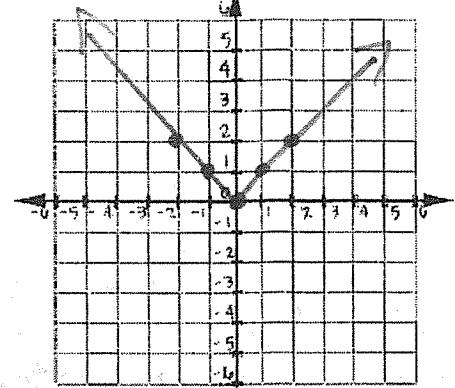
a)  $y = x + 4$



b)  $x = y^2$



c)  $y = |x|$



$x$	$y$
0	4
1	5
2	6
-1	3
-2	2

yes a  
function

$x$	$y$
0	0
1	-1
2	1
4	2
4	-2

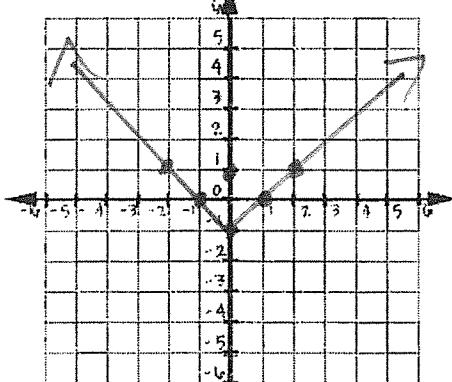
not  
function

$x$	$y$
0	0
1	2
-1	1
-2	2

yes a  
function

2) Graph each function. Then find the range.

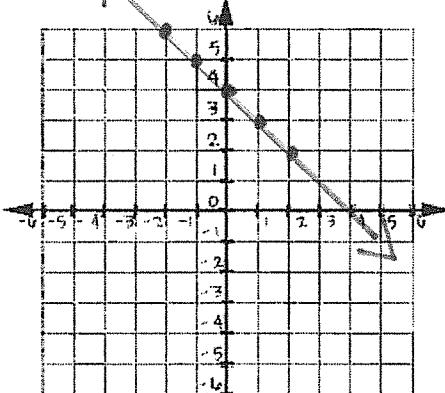
a)  $f(x) = |x| - 1$



$x$	$y$
0	-1
1	0
2	1
-1	0
-2	1

Range:  $\{y | y \geq -1\}$

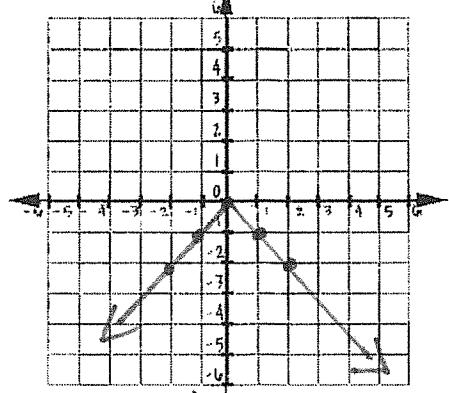
b)  $g(x) = -x + 4$



$x$	$y$
0	4
1	3
2	2
-1	5
-2	6

$g(x) = \text{all real } \#s$

c)  $h(x) = -|x|$



$x$	$y$
0	0
1	-1
2	-2
-1	-1
-2	-2

$h(x) = \{y | y \leq 0\}$

Find the domain of each function.

A)  $h(x) = \sqrt{x}$

Domain:  $\{x | x \geq 0\}$

b)  $g(x) = \sqrt{x+2}$

Domain:  $\{x | x \geq -2\}$

Graph each function. State the domain and the range.

a)  $f(x) = |x| - 3$

x	y
0	-3
1	-2
2	-1
-1	-2
-2	-1

Domain: all real #'s

Range:  $\{y | y \geq -3\}$

